



Paper 1 – Multiple Choice Questions

1	<p>Answer: C</p> <p>The average value is 47.78 mm which is not close to the true value so not accurate. There is a variation in measurements. So it is not precise.</p>
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2	<p>Answer: D</p> <p>time taken to travel first 90 km = $\frac{\text{distance}}{\text{speed}} = \frac{90}{80} = 1.125$ hour time taken for remaining 110 km = 0.875 hour $\text{total time} = \frac{110 \text{ km}}{126 \text{ km h}^{-1}} = 0.875$ hour</p>
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3	<p>Answer: A</p> <p>$3kx = mg$ --- (1) $2kx' = mg$ --- (2) $\frac{(2)}{(1)} \cdot \frac{2x'}{3x} = 1$ $x' = \frac{3}{2}x$ $x' - x = \frac{3}{2}x - x = 0.5x = 0.5(0.40) = 0.20$ cm</p>
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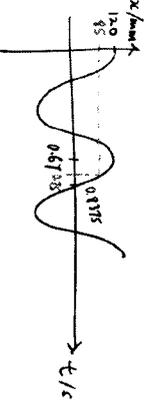
4	<p>Answer: A</p> <p>$mg - T = ma$ $(0.50)(9.81) - T = (0.50)a$ --- (1) $T - \text{friction} = m'a$ $T - 3.5 = (0.20)a$ --- (2) Solving (1) and (2): $a = 2.0 \text{ m s}^{-2}$</p>
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5	<p>Answer: B</p> <p>Change in velocity = final velocity – initial velocity $= \sqrt{0.40^2 + 0.30^2} = 0.50 \text{ m s}^{-1}$ Change in momentum = $m \Delta v = (0.20)(0.50) = 0.10 \text{ kg m s}^{-1}$</p>
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6	<p>Answer: C</p> <p>Thrust = weight $4 \frac{m}{t} \Delta v = mg$ $4 \left(\frac{0.400}{1.00} \right) (v - 0) = 1.20(9.81)$ $v = 7.36 \text{ m s}^{-1}$</p>
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7	<p>Answer: B</p> <p>$(3m)(4) = mv \sin \theta$ $(2m)(6) = mv \cos \theta$ $\tan \theta = 1$ $\theta = 45^\circ$</p>
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8	Answer: B Constant speed, so no change in E_k . $E_p = mgh$ $\frac{dE_p}{dt} = mg \frac{h}{t} = mgv$ hence constant gradient
9	Answer: A $F_{drive} = F_{resistive} + W \sin \theta$ $\frac{60 P}{100 v} = F_{resistive} + mg \sin \theta$ $\frac{60}{100} \times \frac{80000}{6.5} = F_{resistive} + (1000)(9.81)(\sin 45^\circ)$ $F_{resistive} = 450 \text{ N}$
10	Answer: A Vertical equilibrium: $kx \cos \theta = mg$ --- (1) Horizontal component of tension = weight Horizontal component of tension provides centripetal force $kx \sin \theta = mr \left(\frac{2\pi}{T} \right)^2$ --- (2) (2) : $\tan 27^\circ = \frac{4\pi^2(0.108 \sin 27^\circ)}{T^2(9.81)}$ (1) $T = 0.62 \text{ s}$
11	Answer: A For satellite in orbit, $TE = -KE$, so option A is correct. Since $KE = \frac{GMm}{2r}$, larger m with same KE requires larger r , so option B is incorrect. Since $T^2 = \frac{4\pi^2}{GM} r^3$, larger r will result in larger T , so option C is incorrect. Since $\omega = \frac{2\pi}{T}$, larger T means smaller ω , so option D is incorrect.

12	Answer: C "It has a property that varies linearly with temperature" is not strictly essential but rather an assumption used in constructing empirical centigrade scales.
13	Answer: D $T = \frac{1}{f} = \frac{1}{1.5} = 0.67 \text{ s}$ $x = x_0 \cos \omega t$ $x = 0.12 \cos[(2\pi)(1.5)(0.75)]$ $x = 0.0848 \text{ m} = 85 \text{ mm}$  Distance = $120 \times 4 + (120 - 85) = 515 \text{ mm}$
14	Answer: C Particles are displaced away from the equilibrium positions towards the centre of the compression. Right is taken to be positive (distance from P) Particles displaced rightwards have positive displacements and leftwards have negative displacements.
15	Answer: C $I = (I_0 \cos^2(30^\circ))(\cos^2(60^\circ))$ $I = 0.19 I_0$

16 Answer: C

$$A_{\text{net}} = A_p + A_0 = A + A = 2A$$

$$I = kx_0^2 \rightarrow I = k(2A)^2 \text{ --- (1)}$$

$$A_{\text{net}} = A_p + A_0 = 2A + A = 3A$$

$$I = kx_0^2 \rightarrow I' = k(3A)^2 \text{ --- (2)}$$

$$\frac{(2)}{(1)} \cdot \frac{I'}{I} = \frac{k(3A)^2}{k(2A)^2} \rightarrow I' = 2.25I$$

17 Answer: C

$$x = \frac{\lambda D}{a} = \left(\frac{3.00 \times 10^9}{1.5 \times 10^{12}} \right) \left(\frac{4.0}{80 \times 10^{-3}} \right) = 10 \text{ mm}$$

$2.5x = 25 \text{ mm}$

18 Answer: A

$d \sin \theta = n\lambda$

4 orders are observed and for max angle of 90° ,

$$d \sin 90^\circ = (4)(5.50 \times 10^{-7})$$

$$d = 2.20 \times 10^{-6} \text{ m}$$

If 5 orders were to be observed,

$$d \sin 90^\circ = (5)(5.50 \times 10^{-7})$$

$$d = 2.75 \times 10^{-6} \text{ m}$$

Larger the value of d results in more orders observed.

OR

$$4 \leq \left[\frac{d \sin 90^\circ}{\lambda} = n \right] < 5$$

$$4\lambda \leq d < 5\lambda$$

$$2.20 \times 10^{-6} \leq d < 2.75 \times 10^{-6}$$

19 Answer: C

$$s = \frac{\lambda}{r} = \frac{b}{a}$$

$$20 \times 3.00 \times 10^8 \times 365 \times 24 \times 60 \times 60 = \frac{550 \times 10^{-9}}{3.0}$$

$$s = 3.47 \times 10^{10} \text{ m}$$

20 Answer: A

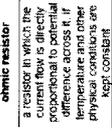
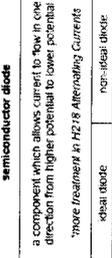
$I = nAve$, where n is electron density

$I = \frac{N}{AL} A ve$, where N is the number of electrons

$$v = \frac{Ne}{N} = \frac{5 \times 2}{1.5 \times 10^{24} \times 1.6 \times 10^{-19}} = 4.17 \times 10^{-5} \text{ ms}^{-1}$$

21 Answer: D

After overcoming the threshold voltage, the diode's resistance become negligible. The resistance of the fixed resistor is shown by having a constant V to I ratio, i.e. a straight line graph that cuts through the origin.

ohmic resistor	semiconductor diode
a resistor in which the current is directly proportional to potential difference across it, if temperature and other physical conditions are kept constant.	a component which allows current to flow in one direction from higher potential to lower potential
	
Aspt. constant	more treatment in H218 Alternating Currents
	ideal diode
	non-ideal diode

22 Answer: C

$$R = \frac{\rho l}{A} = \frac{\rho V^{\frac{1}{3}}}{V^{\frac{2}{3}}} = \frac{\rho}{V^{\frac{2}{3}}}$$

23	<p>Answer: A</p> <p>Since both branches have the same ratio vertically downwards, there is no current flowing through the middle horizontal wire.</p> $\frac{1}{R_{eff}} = \frac{1}{10k + 30k} + \frac{1}{6.0k + 18k}$ $R_{eff} = 15 \text{ k}\Omega$ <p>OR</p> <p>Since p.d. across the 10 kΩ and 6 kΩ resistors are the same, they can be treated as being a parallel connection. Similarly the 30 kΩ and 18 kΩ resistors can be viewed as a parallel connection also.</p> $R_{eff} = \left(\frac{1}{10} + \frac{1}{6.0} \right)^{-1} + \left(\frac{1}{30} + \frac{1}{18} \right)^{-1}$ $= 15 \text{ k}\Omega$ <p>The 1st method only works if resistors in both branches have the same ratio. The 2nd method always works.</p>
24	<p>Answer: A</p> <p>$V_{15\Omega} = V_r + V_{20\Omega}$ and using $V = IR$</p> $(0.48)(15) = (0.45)R + (0.45)(2.0)$ $R = 14 \Omega$ <p>$V_{15\Omega} = E - V_r$</p> $(0.48)(15) = 10 - (0.45 + 0.48)r$ $r = 3.0 \Omega$

25	<p>Answer: B</p> <p>For particle Y to be undeflected, electric force and magnetic force acting on Y must be in opposite direction. E field direction must be upwards for the electric force acting on particle Y to be in the opposite direction as the magnetic force (applying Fleming's Left Hand Rule) regardless of the polarity of particle Y.</p>
26	<p>Answer: C</p> <p>Increasing current I_s increases the magnetic force on XY. This increases the moment from the magnetic force pushing XY into the paper. Sliding the weight towards WZ increases the perpendicular distance between the weight and pivot KL. This helps to counter-balance the increased moment from the magnetic force.</p>
27	<p>Answer: A</p> <p>By Faraday's Law,</p> $ E = \frac{N\Delta B}{\Delta t}$ $= \frac{50(0.40)(0.08 \times 0.05)}{0.20}$ $= 0.40 \text{ V}$ <p>By Lenz's Law, current flows in a direction to oppose the decrease in magnetic flux density (into page). This means that it should flow to produce more magnetic flux into page. By right hand grip rule, the induced current flows clockwise.</p>

28	<p>Answer: C</p> <p>For sine wave,</p> $V_{rms,1} = \sqrt{\frac{\frac{V_o^2}{2} \times T}{T}} = \frac{V_o}{\sqrt{2}}$ <p>For half-wave square wave,</p> $V_{rms,2} = \sqrt{\frac{V_o^2 \times \frac{T}{2}}{T}} = \frac{V_o}{\sqrt{2}}$ <p>Ratio required = $\frac{V_o}{\sqrt{2}} = 1$</p>
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29	<p>Answer: D</p> <p>The is not enough energy between the highest and lowest energy levels of a Hydrogen atom to emit X-rays.</p>
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30	<p>Answer: C</p> <p>This is because most of the alpha particles go through the empty space undeflected. Most of the atom's mass must be concentrated.</p>
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Paper 2 – Structured

1(a)	$k = \frac{[(3)(1.29)(3.3 \times 10^2)^2] / (9.9 \times 10^4)}{4.3}$	A1
1(b)	<p>Method 1: fractional uncertainty = $2 \times \frac{8}{100} + 0.07 + \frac{0.09}{1.29} = 0.30$ $\Delta k = 0.3 \times 4.2 = 1.3 = 1$ (allow 1 s.f.)</p> <p>Method 1: $k_{\text{max}} = \frac{3(3.3 \times 10^2 \times 1.08)^2 (1.29 + 0.09)}{9.9 \times 10^4 \times 0.93} = 5.712$ $k_{\text{min}} = \frac{3(3.3 \times 10^2 \times 0.92)^2 (1.29 - 0.09)}{9.9 \times 10^4 \times 1.07} = 3.132$ $\Delta k = \frac{1}{2}(5.712 - 3.132) = 1.29 = 1$</p>	<p>C1</p> <p>C1</p> <p>C1 (calc of both k_{max} and k_{min})</p> <p>C1</p>
1(c)	<p>unit of fA = unit of speed unit of A = unit of (speed/f) unit of $A = \frac{\text{m s}^{-1}}{\text{s}^{-1}}$ = m</p>	<p>M1</p> <p>A1</p>

2(a)(i)	$s = ut + \frac{1}{2}at^2$ (Taking upwards as positive) $-7.8 = (5.9 \sin 60^\circ)t + \frac{1}{2}(-9.81)t^2$ $t = 1.9 \text{ s}$ (or 1.89 s)	C1 A1
2(a)(ii)	<p>Vertically: $v^2 = u^2 + 2as$ $v_x^2 = (5.9 \sin 60^\circ)^2 + 2(-9.81)(1.2 - 9.0)$ $v_x = -13.4 \text{ m s}^{-1}$</p> <p>or</p> <p>$v = u + at$ $= -5.9 \sin 60^\circ + 9.81(1.885)$ $= -13.4 \text{ m s}^{-1}$</p> <p>horizontally: $v_h = 5.9 \cos 60^\circ$ $v_h = 2.95$ $\tan \theta = \frac{13.4}{2.95}$ $\theta = 78^\circ$</p> <p>(Correct substitution and answer)</p> <p>(Correct substitution and answer)</p>	C1 C1 A1
2(b)(i)	speed decrease, (So) viscous force / drag (force) decrease (resultant force decreases as) upthrust and weight remain the same	B1 B1
2(b)(ii)	$U = \rho Vg$ $U = (1000)(9.81)(7.5 \times 10^{-2})$ $= 736 \text{ N}$ $= 740 \text{ N}$	M1
2(b)(iii)	<p>resultant force = $740 + 950 - (78)(9.81)$ $= 925$</p> <p>acceleration = F / m $= 925 / 78$ $= 12 \text{ m s}^{-2}$</p> <p>(vertically) upwards</p>	C1 A1 A1

Qns	Answer	Mark												
3(a)	For a system in equilibrium, sum of clockwise moments about a (or any) point equals sum of anticlockwise moments about the same point	B1												
3(b)	Let the length of the rod be L . Take moment about the point of contact between the rod and the ground. <table border="1" style="margin-left: 20px;"> <tr> <td>sum of clockwise moments</td> <td>$1000 \left(\frac{L}{2} \cos 30^\circ \right)$ OR $1000 \left(\frac{L}{2} \sin 60^\circ \right)$</td> <td>C1</td> </tr> <tr> <td>sum of anticlockwise moments</td> <td>$T \sin 17^\circ (L)$ OR $T \cos 73^\circ (L)$</td> <td>C1</td> </tr> </table> <p style="text-align: center;">OR</p> <table border="1" style="margin-left: 20px;"> <tr> <td>sum of clockwise moments</td> <td>$1000 \left(\frac{L}{2} \cos 30^\circ \right) + T \cos 47^\circ (L \sin 30^\circ)$ OR $1000 \left(\frac{L}{2} \sin 60^\circ \right) + T \sin 43^\circ (L \cos 60^\circ)$</td> <td>(C1)</td> </tr> <tr> <td>sum of anticlockwise moments</td> <td>$T \sin 47^\circ (L \cos 30^\circ)$ OR $T \cos 43^\circ (L \sin 60^\circ)$</td> <td>(C1)</td> </tr> </table> <p>$T = 1500 \text{ N}$ (or 1480 N)</p>	sum of clockwise moments	$1000 \left(\frac{L}{2} \cos 30^\circ \right)$ OR $1000 \left(\frac{L}{2} \sin 60^\circ \right)$	C1	sum of anticlockwise moments	$T \sin 17^\circ (L)$ OR $T \cos 73^\circ (L)$	C1	sum of clockwise moments	$1000 \left(\frac{L}{2} \cos 30^\circ \right) + T \cos 47^\circ (L \sin 30^\circ)$ OR $1000 \left(\frac{L}{2} \sin 60^\circ \right) + T \sin 43^\circ (L \cos 60^\circ)$	(C1)	sum of anticlockwise moments	$T \sin 47^\circ (L \cos 30^\circ)$ OR $T \cos 43^\circ (L \sin 60^\circ)$	(C1)	A1
sum of clockwise moments	$1000 \left(\frac{L}{2} \cos 30^\circ \right)$ OR $1000 \left(\frac{L}{2} \sin 60^\circ \right)$	C1												
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sum of anticlockwise moments	$T \sin 47^\circ (L \cos 30^\circ)$ OR $T \cos 43^\circ (L \sin 60^\circ)$	(C1)												

Qns	Answer	Mark
4(a)	By Principle of Conservation of Linear Momentum $(0.50)(2.0) + (0.20)(0) = (0.50)(v_1) + (0.20)(v_2)$ [1] By Relative speed of approach = relative speed of separation $u_1 - u_2 = v_2 - v_1$ $2.0 - 0 = v_2 - v_1$ [2]	C1 C1
4(b)	Solve equations [1] and [2], $v_2 = 2.857 = 2.9 \text{ m s}^{-1}$ By Principle of Conservation of Energy, Loss in kinetic energy = Gain in Gravitational Potential Energy $\frac{1}{2} m v^2 - 0 = mgh$ $\frac{1}{2} (2.857^2) = 9.81h$ $h = 0.416 \text{ m}$ Consider maximum angle $h = L - L \cos \theta = L (1 - \cos \theta)$ $0.416 = 1.5(1 - \cos \theta)$ $\theta = 43.7^\circ$	C1 C1 A1
4(c)	There is an external resultant force acting on the bob provided by the tension in the string and weight.	B1

Qns	Answer	Marks
5(a)	Rate of change of angular displacement	B1
5(b)(i)	At minimum speed, normal contact force = 0 AND Weight provides centripetal force $mg = \frac{mv^2}{r}$ $9.81 = \frac{0.12}{v^2}$ $v = 1.08$ or 1.1 m s^{-1}	B1 C1 A1
5(b)(ii)	Loss in EPE = Gain in GPE + Gain in KE $\frac{1}{2}kx^2 = mgh + \frac{1}{2}mv^2$ $\frac{1}{2}k(0.16)^2 = (0.076)(9.81)(0.24) + \frac{1}{2}(0.076)(1.1)^2$ $k = 17.6 = 18 \text{ N m}^{-1}$ OR $\frac{1}{2}k(0.16)^2 = (0.076)(9.81)(0.24) + \frac{1}{2}(0.076)(1.08)^2$ $k = 17.4 = 17 \text{ N m}^{-1}$	B1 C1 A1 (C1) (A1)
5(c)	Loss in KE = Work done against resistive force $0.23 = (\text{average resistive force})(0.30 + 0.25 + 2\pi(0.12))$ average resistive force = 0.18 N	B1 A1

Qns	Answer	Marks
6(a)(i)	(vertically) downwards	B1
6(a)(ii)	magnetic force (on sphere) is always perpendicular to its velocity no work done by force, hence no change in kinetic energy and speed.	M1 A1
6(b)	$mg = Eq$ $E = (1.6 \times 10^{-10} \times 9.81) / (0.27 \times 10^{-9})$ $= 5.8 \text{ N C}^{-1}$	C1 A1
6(c)	Magnetic force provides centripetal force $Bqv = mv^2 / r$ $B = (1.6 \times 10^{-10} \times 0.78) / (0.27 \times 10^{-9} \times 3.4) = 0.14 \text{ T}$	B1 C1 A1

Qns	Answer	Marks
7(a)	Transition emits (one) photon with energy equal to the difference in energy between the two levels photon energy = $h \times$ (frequency of radiation) Thus, single frequency of radiation for each transition	B1 B1
7(b)(i)	line to the left of the pair in Fig. 8.2, labelled A AND larger gap between line A and the nearest of the pair in Fig. 7.2, than between the lines in the pair	B1
7(b)(ii)	line to the left of both the pair in Fig. 7.2 and line A, labelled B AND larger gap between line B and line A, than between line A and the nearest one of the pair in Fig. 7.2	B1
7(c)	$\Delta E = E_{\text{photon}} = hf$ $(E_3 - E_1) = (E_2 - E_1) + (E_3 - E_2) = hf_A + hf_B$ $E_3 = E_1 + h(f_A + f_B)$	C1 A1

Qns	Answer	Mark
8(a)	$hc/\lambda = \Phi + E_{\max}$ AND $hc = \text{gradient}$ gradient = e.g. $[(0.40 - 0.20) \times 1.60 \times 10^{-19}] / [(2.25 - 2.09) \times 10^9]$ (working needed) (= 2.0×10^{-25})	M1
	$h = (2.0 \times 10^{-25}) / (3.00 \times 10^9) = 6.7 \times 10^{-34} \text{ J s}$ (both working and answer needed)	A1
8(b)	straight line with same gradient as the original AND straight line with x-axis intercept greater than $1.93 \times 10^9 \text{ m}^{-1}$	B1
8(c)	(for $E_{\max} = 0$) $1/\lambda_0 = 1.93 \times 10^9 \text{ (m}^{-1}\text{)}$ $f_0 = (3.00 \times 10^9)(1.93 \times 10^9)$ $= 5.8 \times 10^{14} \text{ Hz}$ $\Phi = hf_0 = (6.63 \times 10^{-34})(5.8 \times 10^{14})$ $= 3.9 \times 10^{-19} \text{ J} = 2.4 \text{ eV}$	C1 M1
	so potassium	A1
8(d)	more photons (per unit time) so (rate of emission) increases	A1

9(a)(i)	distance = $0.28 \text{ AU} \times (1.5 \times 10^{11}) = 4.2 \times 10^{10} \text{ m}$ $I = \frac{P}{4\pi r^2} = \frac{3.8 \times 10^{26}}{4\pi(4.2 \times 10^{10})^2}$ $I = 1.714 \times 10^4 = 1.7 \times 10^4 \text{ W m}^{-2}$	B1 B1
9(a)(iii)	$P_{\text{received}} = I A (\text{efficiency})$ $P_{\text{received}} = (1.7 \times 10^4)(6.5)(0.28)$ $P_{\text{received}} = 3.1 \times 10^4 \text{ W}$	C1 A1
9(b)(i)	$P_r = \left(\frac{l}{c} + R\right) = \left(\frac{1.7 \times 10^4}{3.00 \times 10^8}\right) \times \frac{100}{99.8} \times 0.15$ $= 8.5 \times 10^{-8} \text{ Pa}$	M1
9(b)(ii)	$E_k = \frac{1}{2} mv^2$ $p = mv$ Showing BOTH the above to be awarded 1 mark $E_k = \frac{1}{2} m \left(\frac{p}{m}\right)^2$ Therefore $E_k = \frac{p^2}{2m}$	M1
9(b)(iii)	$F = PA = (8.5 \times 10^{-8})(6.5) = 5.5 \times 10^{-7} \text{ N}$	C1
	Using $E = \frac{p^2}{2m}$, $F = \left(\frac{N}{t}\right) \Delta p = \left(\frac{N}{t}\right) \sqrt{2mE}$ $5.5 \times 10^{-7} = \left(\frac{N}{t}\right) \sqrt{2(4 \times 1.66 \times 10^{-27})(5.0 \times 10^6 \times 1.6 \times 10^{-19})}$ $\frac{N}{t} = 5.4 \times 10^{12} \text{ s}^{-1}$	C1 A1
9(c)	activity = $\frac{\text{count rate}}{\text{sensitivity}} = \frac{3.6 \times 10^5}{1.2 \times 10^4}$ $= 30 \text{ GBq}$	C1 A1

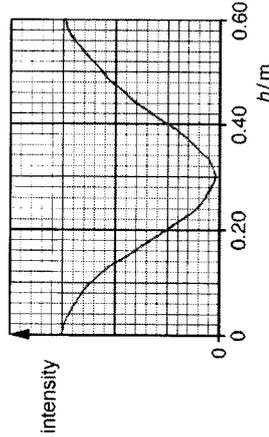
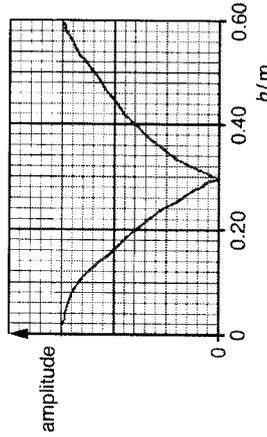
9(d)(i)	$\lambda_a = \frac{\ln 2}{t_1} = \frac{\ln 2}{20} = 0.035 \text{ min}^{-1}$ $\lambda_p = \frac{\ln 2}{t_1} = \frac{\ln 2}{10} = 0.069 \text{ min}^{-1}$	A1
9(d)(ii)	$\lambda_{\text{eff}} = 0.01\lambda_a + 0.99\lambda_p$ $= 0.01(0.035) + 0.99(0.069)$ $= 6.87 \times 10^{-2} \text{ min}^{-1}$	M1
9(d)(iii)	$N_0 = \frac{2.2 \times 10^{-11}}{13(1.66 \times 10^{-27})} = 1.0 \times 10^{15}$ $N = N_0 e^{-\lambda t}$ $= (1.0 \times 10^{15}) e^{-(6.9 \times 10^{-2})(15)}$ $= 3.6 \times 10^{14}$	C1
9(d)(iv)	${}^{13}_7\text{N} \rightarrow {}^{13}_6\text{C} + {}^0_1\text{e} + \text{neutrino}$ (accept anti-neutrino and symbols $\bar{\nu}_e$)	A1
9(e)	<p>Any of the following:</p> <p>relate distance from the Sun to intensity via the inverse-square law</p> <p>solar activity (e.g., solar flares)</p> <p>panel orientation, dust accumulation</p> <p>temperature effects on solar cell efficiency</p>	B1





Q no	Answer	Mark
	= 280 Hz	A1
1(e)(i)	$f = 340 / 0.60$ = 570 Hz (or $2 \times 280 = 560$ Hz)	A1
1(e)(ii)	$0.60 / 4 = 0.15$ m	A1

Q no	Answer	Mark
1(a)	(incident) wave reflects at end/top of tube (incident) wave and reflected wave superpose waves have same frequency, wavelength and speed	B1 B1 B1
1(b)(i)	line has maximum value of amplitude at $h = 0$ and $h = 0.60$ m only AND line has minimum/zero value of amplitude at $h = 0.30$ m only modulus cosine graph (Sharp at $h = 0.30$ m)	M1 A1
1(b)(ii)	line has maximum value of amplitude at $h = 0$ and $h = 0.60$ m only AND line has minimum/zero value of amplitude at $h = 0.30$ m only AND modulus cosine-squared graph	B1
1(c)(i)	vertical/along length of tube/along axis of tube	B1
1(c)(ii)	phase difference = 0	A1
1(c)(iii)	phase difference = 180°	A1
1(d)	$v = f\lambda$ $f = 340 / (2 \times 0.60)$	C1



Ques	Answer	Marks
2(a)(i)	$R = \frac{\rho L}{A} = \frac{\rho L}{\pi r^2}$ $= \frac{(1.1 \times 10^{-9})(20 \times 10^{-2})}{\pi \left(\frac{1.1 \times 10^{-3}}{2}\right)^2}$ $= 1.38898 \dots = 1.4 \Omega \text{ (2 s.f.)}$	M1
2(a)(ii)	<p>Let potential at Y be 5.0 V</p> $R_{\text{eq}}/1.8 \Omega = \frac{1.4 \times 1.8}{1.4 + 1.8} = 0.7875 \Omega$ $\text{PD across } R_{\text{eq}} = \frac{0.7875}{0.7875 + 2.5} \times 5.0 = 1.198 \text{ V}$ <p>PD across XY = $5.0 - \frac{1.198}{2}$</p> $= 4.4 \text{ V}$	C1 A1
2(b)(i)	<p>Current in wire A is in magnetic field produced by current in wire B.</p> <p>Wire A experiences a magnetic force towards wire B according to Fleming's Left Hand Rule.</p> <p>From Newton's third law, an equal and opposite force acts on wire B. (or apply FLH rule again on wire B)</p>	B1
2(b)(ii)1.	$I_A = -3.0 \cos(200\pi t) = -3.0 \cos(200\pi(6.5 \times 10^{-3}))$ $= 1.76 \text{ A}$ <p>From graph, $I_B = 1.2 \text{ A}$</p> $B_B = \frac{\mu_0 I}{2\pi d}$ $= \frac{(4\pi \times 10^{-7})(1.2)}{2\pi(0.05)} = 4.8 \times 10^{-6}$ <p>F per unit length on wire A = $B_B I_A L / L = B_B I_A$</p> $= (4.8 \times 10^{-6})(1.76)$ $= 8.4 \times 10^{-6} \text{ N m}^{-1}$	C1 For both I_A and I_B A1

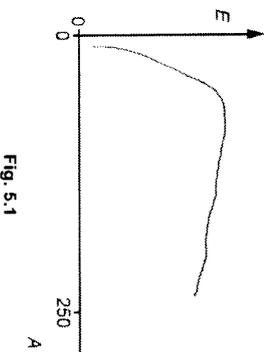
2(b)(ii)2.	<p>force per unit length / N m^{-1}</p> <p>• positions and shape of graph during intervals of non-zero force</p> <p>• positions of intervals of zero force</p>	B1 B1
2(b)(ii)3.	$\langle P \rangle = I_{\text{rms}}^2 R = \left(\frac{3.0}{\sqrt{2}}\right)^2 (15)$ $= 34 \text{ W}$	A1

Qns	Answer	Marks																
3 (a)(i)	$(W = 2.60 \times 10^5 \times (3.80 - 2.30) \times 10^{-3} = 390 \text{ J})$	A1																
3(a)(ii)	no (total) change (in internal energy) gas returns to its original temperature/ state/ no change to pressure and volume	B1 B1																
3(b)	A to B row all correct (1370, - 390, 980) B to C row all correct (0, 550, 550) C to A row: ΔU adds to the other two ΔU values to give zero C to A row: $w = 0$ and q adds to w to give ΔU value complete correct answer:	B1 B1 B1 B1																
	<table border="1"> <thead> <tr> <th>change</th> <th>q / J</th> <th>w / J</th> <th>ΔU / J</th> </tr> </thead> <tbody> <tr> <td>A to B</td> <td>(+)1370</td> <td>-390</td> <td>(+)980</td> </tr> <tr> <td>B to C</td> <td>0</td> <td>(+)550</td> <td>(+)550</td> </tr> <tr> <td>C to A</td> <td>-1530</td> <td>0</td> <td>-1530</td> </tr> </tbody> </table>	change	q / J	w / J	ΔU / J	A to B	(+)1370	-390	(+)980	B to C	0	(+)550	(+)550	C to A	-1530	0	-1530	
change	q / J	w / J	ΔU / J															
A to B	(+)1370	-390	(+)980															
B to C	0	(+)550	(+)550															
C to A	-1530	0	-1530															
3(c)	when vapourising, greater change in separation of atoms or molecules/ bonds are completely broken (compared to partially broken), hence a greater change in potential energy and internal energy greater change in volume, hence a greater work done	B1 B1																

Qns	Answer	Marks
4(a)(i)	product of number of turns of coil, (magnetic) flux density and area area perpendicular to the (magnetic) field OR Magnetic flux linkage through a loop is product of magnetic flux through the loop and number of turns of wire in the loop. Magnetic flux is the product of an area and component of magnetic flux density perpendicular to that area.	M1 A1 B1 B1
4(a)(ii)	flux = $B \times \pi r^2$ = $0.17 \times \pi \times 0.36^2$ = $6.9 \times 10^{-2} \text{ Wb}$ time for one revolution = 1 / 25 s e.m.f. = rate of cutting flux or $\frac{\Delta\Phi}{\Delta t}$ = 0.069×25 = 1.7 V	C1 C1
4(a)(iii)	current (in disc) is perpendicular to magnetic field causes force to act on disc OR current (in disc) is perpendicular to magnetic field OR current causes force to act on disc force opposes rotation of disc Fleming's left-hand rule indicates current is from rim to axle	A1 B1 B1 B1

Qns	Answer	Mark
4(b)(i)	ring cuts (magnetic) flux and causes induced e.m.f. in ring (induced) e.m.f. causes (eddy/induced) currents (in ring) currents (in ring) cause magnetic field (around ring) two fields interact to cause resistive/opposing force OR current (in ring) is in a magnetic field which causes resistive force OR currents (in ring) dissipate thermal energy (thermal) energy comes from energy of oscillations	B1 B1 M1 A1 OR (M1) (A1) (M1) (A1)
4(b)(ii)	current cannot pass all the way around the ring (induced) currents smaller (OR no currents) smaller resistive force (so more oscillations) (OR no resistive force) OR smaller rate of dissipation of energy (so more oscillations)	B1 B1 B1

Qns	Answer	Mark
5(a)(i)	energy required to separate the nucleons (in the nucleus) to infinity	M1 M1
5(a)(ii)	curve starting close to the origin and forming a single peak peak shown to left of centre, with steep line on LHS of peak and shallow line on RHS of peak	B1
5(b)(i)	Fusion	B1
5(b)(ii)	both particles have low A values or both particles are at left-hand end of graph He-3 has higher binding energy (per nucleon) than the total binding energy of both H-2	B1
5(c)	$\Delta m = [(2 \times 2.014102) - (3.016029 + 1.008665)] \text{ u}$ $= 0.00351 \text{ u} \quad (\text{Correct substitution and correct answer})$ $E = \Delta mc^2$ $= 0.00351 \times 1.66 \times 10^{-27} \times (3.00 \times 10^8)^2$ $= 5.24 \times 10^{-13} \text{ J} \quad (\text{Correct substitution and correct answer})$ <p>1.0 mol of deuterium forms 0.500 mol of helium-3</p> <p>total energy = $0.500 \times 6.02 \times 10^{23} \times 5.24 \times 10^{-13}$ (Correct substitution)</p> $= 1.58 \times 10^{11} \text{ J}$	C1 C1 C1 C1 C1 A1



Qns	Answer	Mark
7(a)(i)	work done per unit mass in bringing a small test mass from infinity to that point	B1 B1
7(a)(ii)	potential is zero at infinity Gravitational force is attractive work is done by (two) masses in moving them closer together work is done on (two) masses in moving them apart test mass getting closer from infinity loses potential energy	Any 2
7(b)	Loss in kinetic energy = Gain in Gravitational Potential Energy Initial KE – final KE = final GPE – Initial GPE $\frac{1}{2}mv^2 - 0 = 0 - m\phi$ $v = \sqrt{-2\phi}$	B1 B1 B1 A0
7(c)	$\phi = -GM/r$ $= -(6.67 \times 10^{-11} \times 7.3 \times 10^{22}) / (1.7 \times 10^6)$ $= -2.9 \times 10^6 \text{ J kg}^{-1}$	C1 C1 A1
7(d)	speed = $\sqrt{2 \times 2.9 \times 10^6}$ $= 2400 \text{ m s}^{-1}$	A1
7(e)	$\frac{1}{2}m\langle c^2 \rangle = (3/2)kT$ $\frac{1}{2} \times 3.34 \times 10^{-27} \times \langle c^2 \rangle = (3/2) (1.38 \times 10^{-23})(400)$ $c_{r.m.s.} = 2200 \text{ m s}^{-1}$	C1 C1 A1
7(f)	r.m.s. speed is an average so many molecules have speeds greater than the escape speed or there is a distribution of molecular speeds (around the r.m.s. value) so many molecules have speeds greater than the escape speed	B1
7(g)(i)	Loss in GPE = Gain in KE $\left(-\frac{GMm}{r_x} \right) - \left(-\frac{GMm}{r_y} \right) = \frac{1}{2}mv_x^2 - \frac{1}{2}mv_y^2$ $(6.67 \times 10^{-11})(1.99 \times 10^{30}) \left[\left(-\frac{1}{8.44 \times 10^{11}} \right) + \left(-\frac{1}{6.38 \times 10^{10}} \right) \right] = \frac{1}{2}v_x^2 - \frac{1}{2}(34.1 \times 10^3)^2$ $v_x = 70.8 \text{ km s}^{-1}$	B1 C1 C1 A1
7(g)(ii)	both Gravitational Potential Energy and Kinetic Energy equations include m , so path is unchanged OR It is independent on m , so path is unchanged.	B1 (B1)

7(g)(iii)	Path higher than the original one AND Closest distance of approach is larger And if goes back, the bottom path is lower than the original one.	B1
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